



# LONGITUDINAL DIFFEOMORPHIC FETAL BRAIN ATLAS LEARNING FOR TISSUE LABELING USING GEODESIC **REGRESSION AND GRAPH CUTS**

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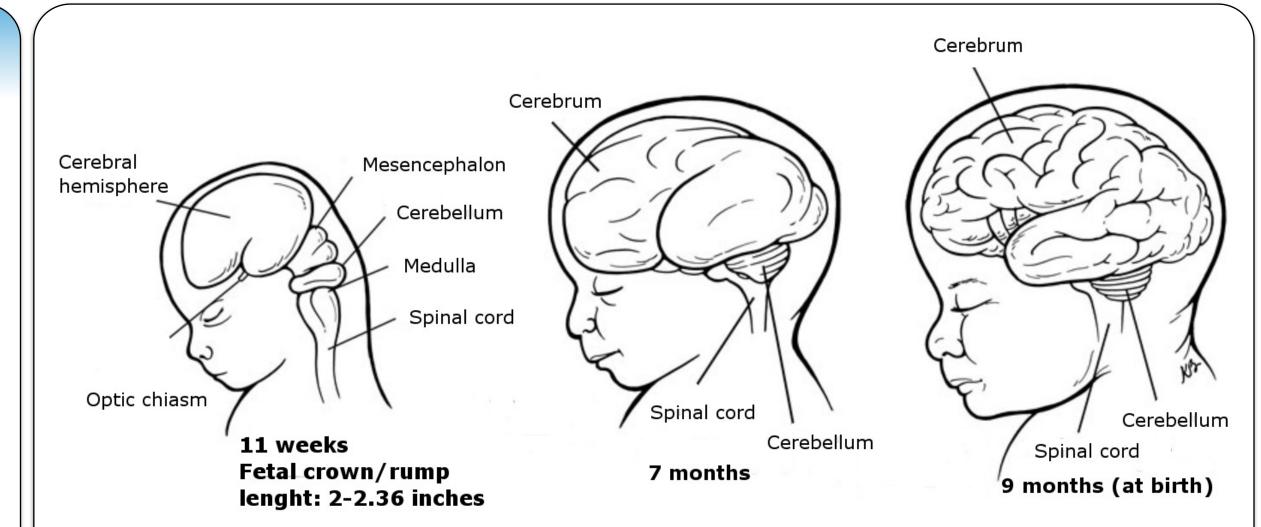
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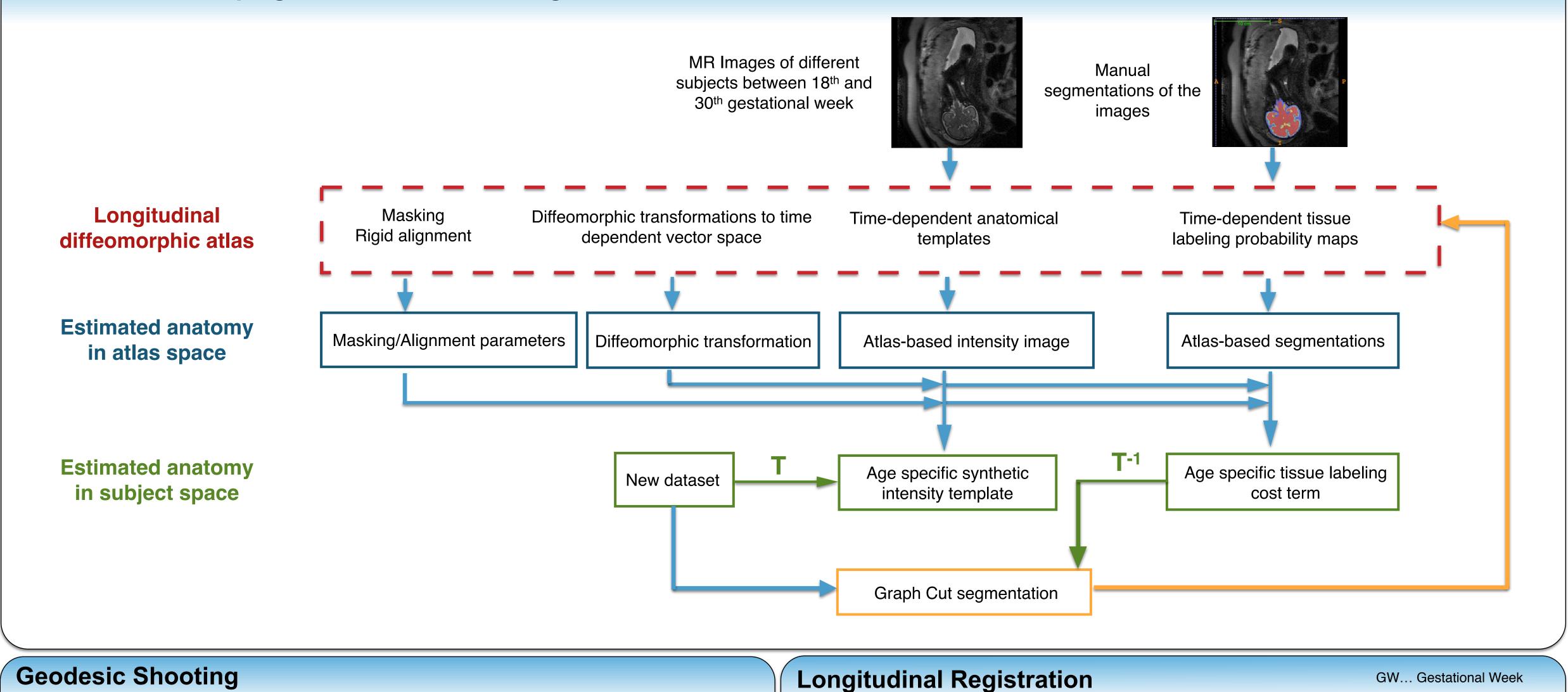
#### Abstract

The human brain undergoes fundamental structural changes between the second and the third trimester of pregnancy [1]. The most accurate non-invasive method for observing these events to date is the (ultra) fast magnetic resonance (MR) imaging technique. It allows to image a fetus at a satisfying resolution, despite its small size or varying position [2]. A problem of MR imaging is the lack of comparability and constancy of gray-values, which are mapped according to the proton (hydrogen) concentration. It differs among patients and results in varying gray-values for varying proton density [3]. This motivates to build a fetal brain atlas to use it as a standard space. Brain structures can be mapped according to marked anatomical locations, to make fetal brains comparable for studying brain development, fetal pathology locations, fetal abnormalities or anatomy.

The **aim of the work** is to provide an atlas of the developing fetal brain, consisting of a continuous, quantifiable model of brain development derived by geodesic shooting regression [4,5] and an **automated labeling procedure** using a graph cut based segmentation approach [7].



### **Atlas of the Developing Brain - Tissue Labeling Framework**



- Non-rigid, fluid model based registration approach
- Restricted to diffeomorphic matching, physically valid
- Large Deformation Diffeomorphic Metric Mapping (LDDMM) based [8] Calculates a series of velocity fields to find the optimal diffeomorphic mapping function from template to target image

$$\hat{v} = \underset{v:\phi_t=v_t(\phi_t)}{\arg\min} \left( \int_{0}^{1} \|v_t\|_{V}^{2} dt + \frac{1}{\sigma^2} \|I_0 \circ \phi_t^{-1} - I_1\|_{L^2}^{2} \right)$$
 LDDMM cost function

ODE: flow of time dependent  $\frac{d\phi_t}{dt} = v_t(\phi_t)$ velocity vector field

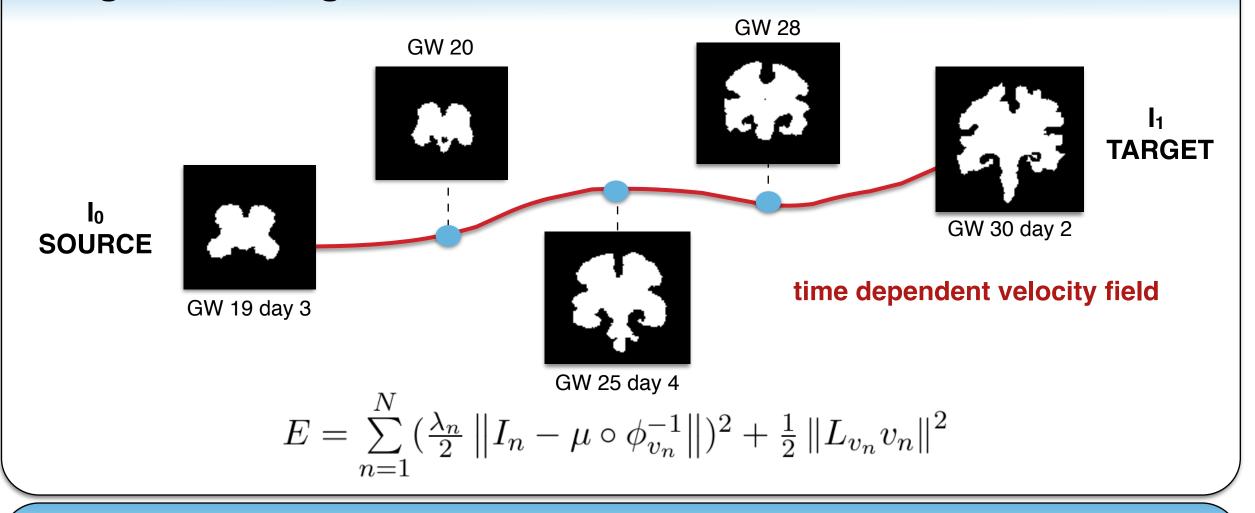
$$v_t = K\left( \left| D\phi_t^{-1} \right| (D\phi_t^{-1})^T (u_0 \circ \phi_t^{-1}) \right)$$

The dependent velocity fields  
Time dependent velocity fields  
Space of allowable velocity vector fields  
Standard 
$$L^2$$
 norm for square integrable functions  
Differential operator  $\|f\|_V = \|L f\|_{L^2}$   
 $= L^*L^{inv}$  ... Inertia of the system  
Inverse (Green's function) of operator A  
Jacobian tensor  
Template image

- Velocity is given at any time by initial velocity (momentum)  $u_0 = A * v_0$ 

$$E = \frac{1}{2} \|v_0\|_V^2 dt + \frac{1}{2\sigma^2} \|I_0 \circ \phi_t^{-1} - I_1\|_{L^2}^2$$

Conservation of momentum: formulation of each iteration of the registration as an initial value problem [4].



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